

**KEITH ROGERS****Universidad Autonoma de Madrid***Mixed-norm estimates for the free Schrödinger equation*

We consider when the Schrödinger operator $e^{it\Delta}$ is bounded from $\dot{H}^s(\mathbb{R}^n)$ to $L_x^q(\mathbb{R}^n, L_t^r(\mathbb{R}))$. When $q > r$, the Sobolev index s can be negative. For $n \geq 5$, we find the sharp range of such estimates up to endpoints. When $q < r$, we prove that the sharp estimates would follow if the maximal operator $\sup_{0 < t < 1} |e^{it\Delta} f|$ were bounded from $H^{1/4}(\mathbb{R}^n)$ to $L_{loc}^2(\mathbb{R}^n)$.